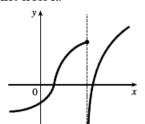
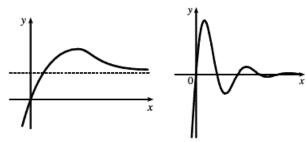
Section 2.5 In Class Problems 1

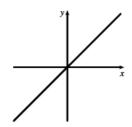
- 1. (a) As x approaches 2 (from the right or the left), the values of f(x) become large.
 - (b) As x approaches 1 from the right, the values of f(x) become large negative.
 - (c) As x becomes large, the values of f(x) approach 5.
 - (d) As x becomes large negative, the values of f(x) approach 3.
- 2. (a) The graph of a function can intersect a vertical asymptote in the sense that it can meet but not cross it.



The graph of a function can intersect a horizontal asymptote. It can even intersect its horizontal asymptote an infinite number of times.



(b) The graph of a function can have 0, 1, or 2 horizontal asymptotes. Representative examples are shown.



No horizontal asymptote

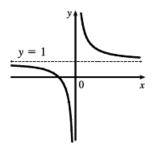


One horizontal asymptote



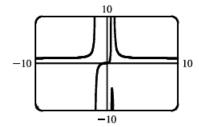
Two horizontal asymptotes

- 6. $\lim_{x \to 0^+} f(x) = \infty$, $\lim_{x \to 0^-} f(x) = -\infty$, $\lim_{x \to \infty} f(x) = 1, \quad \lim_{x \to -\infty} f(x) = 1$



Section 2.5 In Class Problems 1

- 11. If $f(x)=x^2/2^x$, then a calculator gives f(0)=0, f(1)=0.5, f(2)=1, f(3)=1.125, f(4)=1, f(5)=0.78125, f(6)=0.5625, f(7)=0.3828125, f(8)=0.25, f(9)=0.158203125, f(10)=0.09765625, $f(20)\approx0.00038147$, $f(50)\approx2.2204\times10^{-12}$, $f(100)\approx7.8886\times10^{-27}$. It appears that $\lim_{x\to\infty}\left(x^2/2^x\right)=0$.
- 13. Vertical: $x \approx -1.62, x \approx 0.62, x = 1;$ Horizontal: y = 1



15. $\lim_{x \to -3^+} \frac{x+2}{x+3} = -\infty$ since the numerator is negative and the denominator approaches 0 from the positive side as $x \to -3^+$.